

This is a draft of a cheat paper for KeY. Take with care.

## Java Card DL Syntax

### Formulas

The table below relates KeY syntax with the standard textbook syntax. The greek letters  $\varphi, \phi, \psi$  denote Java DL formulas.

KeY	Textbook	Remarks
true, false	$tt, ff$	truth values
$p(t_1, \dots, t_n)$	$p(t_1, \dots, t_n)$	atomic formula
$!\phi$	$\neg\phi$	negation
$\phi \& \psi$	$\phi \wedge \psi$	conjunction
$\phi   \psi$	$\phi \vee \psi$	disjunction
$\phi \rightarrow \psi$	$\phi \rightarrow \psi$	implication
$\phi \leftrightarrow \psi$	$\phi \leftrightarrow \psi$	equivalence
$\backslash\text{if } (\varphi)$ $\backslash\text{then } (\phi)$ $\backslash\text{else } (\psi)$	—	conditional formula evaluates to $\phi$ if $\varphi$ holds to $\psi$ otherwise
$\backslash\text{forall } T x; \phi$	$\forall x:T. \phi$	universal quantification over elements of type $T$
$\backslash\text{exists } T x; \phi$	$\exists x:T. \phi$	existential quantification over elements of type $T$
$\{\mathcal{U}\}\phi$	$\{\mathcal{U}\}\phi$	update application (see Sect. <i>Updates</i> )
$\backslash\langle\{p\}\rangle\phi$	$\langle p \rangle\phi$	diamond modality (total correctness) with statement list $p$ and formula $\phi$
$\backslash[\{p\}]\phi$	$[p]\phi$	box modality (partial correctness) with statement list $p$ and formula $\phi$

### Reserved predicate symbols

Some predefined predicates:

Symbol	Remarks
$\cdot \doteq \cdot$	equality
$\cdot < \cdot, \cdot \leq \cdot, \cdot > \cdot, \cdot \geq \cdot$	inequalities
<b>inReachableState</b>	true in states reachable by a Java program
<b>arrayStoreValid(<math>ar, el</math>)</b>	true if the element $el$ can be stored in the array referenced by $ar$ without causing an <b>ArrayStoreException</b>

### Terms

Terms are sorted and recursively defined as usual.

KeY	Textbook	Remarks
$f(t_1, \dots, t_n)$	$f(t_1, \dots, t_n)$	$f$ function symbol, $t_1, \dots, t_n$ terms of compatible sort
$\{\mathcal{U}\}t$	$\{\mathcal{U}\}t$	update application (see Sect. <i>Updates</i> )
$\backslash\text{if } (\varphi)$ $\backslash\text{then } (t_1)$ $\backslash\text{else } (t_2)$	—	conditional term evaluates to $t_1$ if $\varphi$ holds, to $t_2$ otherwise
$(T)t$	—	cast term $t$ to type $T$

### Reserved function symbols

<i>Arithmetics</i>		
Prefix	In-/Postfix	Remark
$\text{add}(\cdot, \cdot)$	$\cdot + \cdot$	addition on $\mathbb{Z}$
$\text{sub}(\cdot, \cdot)$	$\cdot - \cdot$	subtraction on $\mathbb{Z}$
$\text{mul}(\cdot, \cdot)$	$\cdot * \cdot$	multiplication on $\mathbb{Z}$
$\text{div}(\cdot, \cdot)$	$\cdot / \cdot$	division on $\mathbb{Z}$
$\text{mod}(\cdot, \cdot)$	$\cdot \% \cdot$	modulo on $\mathbb{Z}$
$\text{jdiv}(\cdot, \cdot)$		Java division (rounds towards 0), but on $\mathbb{Z}$
$\text{jmod}(\cdot, \cdot)$		Java modulo, but on $\mathbb{Z}$
$\text{divJint}(\cdot, \cdot)$		Java division resp. <b>int</b> bounds

*Attributes and Arrays*

Prefix	In-/Postfix	Remark
	$o.a@T$	attribute access term (access attribute $a$ declared in $T$ of object $o$ ); $@(\cdot)$ can be omitted if no hiding
	$ar[idx]$	array access term evaluating to the element stored at index $idx$ in array $ar$

*Other Interpreted Function Symbols*

Prefix	Remark
null	Javas null constant (only element of type Null)
TRUE, FALSE	constants of type boolean with the obvious interpretation
$T::instance(o)$	boolean typed function evaluating to TRUE if $o$ is an instance of type $T$

**Updates**

The general form of a single quantified update in KeY

$$\underbrace{\backslash\text{for } T \ x; \text{opt } \backslash\text{if}(\varphi)_{\text{opt}} \text{loc} := \text{val}}_u$$

where  $\varphi$  is Java Card DL formula,  $loc$  a program variable, attribute or array access expression and  $val$  a term. The quantification and condition part are optional.

Two updates  $u_1, u_2$  of the above form can be composed in parallel

$$u_1 || u_2$$

Application of an update on a formula or term results again in a formula resp. term (see formula/term definition).

**Programs**

An instance of the logic Java Card DL is always defined wrt. a context program declaring all classes and interfaces.

Programs used in Java Card DL formulas are actually lists of Java Card statements that are treated exactly as if inside a static method of a class in the default package.

Java Card DL extends Java Card *only* by two additional statements:

**The Method-Frame statement** surrounds a method body when it is inlined during a method invocation. The method-frame captures information like the current scope (**source**) and optionally, if not static, the receiver (**this**) of the method call and, if not void, the variable that is assigned the return value:

```
method-frame( result->program variable,
             source=classname,
             this=reference) : {
    statement list
}
```

**The Method Body statement** is a placeholder for an actual method body implementation. For example, dynamic dispatching a method results in an **if** cascade and instead of immediately inlining the different method bodies in each branch the method body statement is used. Its syntax is:

$$\text{resultVar} = \text{receiver.m}(arg_1, \dots, arg_n) @ T$$

where  $T$  denotes the type of the concrete method *implementation*.

## Contracts and Invariants

### Contracts

A contract  $\mathcal{C}_m := (pre, post, mod, term. marker)$  for a method  $m$  consists of

- a Java Card DL formula  $pre$  expressing the contracts precondition,
- a Java Card DL formula  $post$  expressing the contracts postcondition,
- a set of locations  $mod$  that might be changed and
- a termination marker  $term. marker$  indicating if the contract asserts termination or not.

Contracts are usually specified in JML or OCL, but can also be expressed in Java Card DL with a KeY problem file description (short: *dotkey* file).

— KeY —

```
\contracts {
  uniqueContractName {
    \programVariables {
      ResultType result;
      ReceiverType receiver;
      FirstArgType arg1;
      ...
    }

    pre ->
    \<{
      result = receiver.m(arg1,...,argN)@T
    }\> post
    \modifies { locations }
    \displayname "user - friendly name"
  }
}
```

— KeY —

If the contract should not guarantee termination, use box modality instead of diamond modality.

The pre-state value of an attribute  $a$  declared in type  $T$  can be accessed in postconditions via  $T::a@pre(o)$  resp.  $ar[idx]@pre$  if the prestate value

of  $ar$  at index  $idx$  is accessed. *Attention:*  $@pre$  does not cause evaluation of  $a$ ,  $ar$  or  $idx$  in the pre-state.

If a method throws an exception, it is possible to specify also the exceptional case in a contract:

```
— KeY —
\contracts {
  uniqueContractName {
    \programVariables { ... }
    pre ->
    \<{
      #catchAll(java.lang.Throwable exc) {
        result = receiver.m(arg1,...,argN)@T
      }
    }\> (
      (exc = null -> postnormal) &
      (exc != null -> postexceptional)
    )
    \modifies { locations }
    \displayname "user - friendly name"
  }
}
```

— KeY —

### Invariants

An invariant can be expressed in a similar way like contracts in KeY problem files.

— KeY —

```
\invariants(pkg.Class1 self) {
  invariant1 {
    self.attribute != null & ...

    \displayname "My1first1invariant"
  };

  invariant2 {
    self.attribute2 != null & ...
  };
}
```

— KeY —

The invariant section must be declared after the `\contracts` section, if one exists. There can be arbitrary many invariant sections.